

# Liquid Level Height Sensing Using Honeywell Board Mount Pressure Sensors

## A Technical Note

### 1.0 INTRODUCTION

This technical note demonstrates how to calculate the liquid level height in an unpressurized or pressurized container by using a board mounted pressure sensor to measure the hydrostatic pressure.

### 2.0 EQUATIONS AND CONSTANTS

The full equation for pressure liquid level height versus pressure is:

$$\text{Liquid Level Height} = \text{Pressure Exerted} / (\text{Density} * \text{Gravitational Constant})$$

However, for most applications at lower altitudes the simplified equation may be used:

$$\text{Liquid Level Height} = \text{Pressure} / \text{Specific Gravity, or } H = P / SG$$

where:

**H** = Height, in inches, of the liquid being measured

**P** = Pressure, in inches of water (inH<sub>2</sub>O), of the liquid being measured

**SG** = Specific gravity constant of the liquid being measured (See Table 1.)

**Table 1: Approximate Specific Gravity Constants of Common Liquids<sup>1</sup>**

Liquid	Specific Gravity Constant
Water at 4°C	1.00
Water at 20°C	0.998
Ethyl alcohol at 20°C	0.789
Isopropyl alcohol at 20°C	0.785
Seawater at 25°C	1.028

<sup>1</sup> Specific gravity changes over temperature.

### 3.0 FINDING LIQUID LEVEL HEIGHT

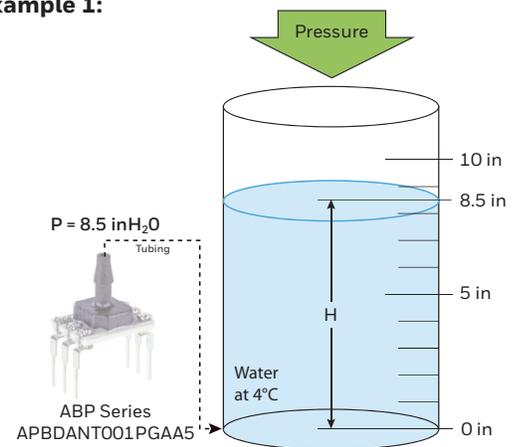
#### 3.1 Using an unpressurized container

Using the equation  $H = P/SG$ , the two examples in Figure 1 show how different media at different pressures may have the same liquid level height. The pressure sensor shown is Honeywell's ABP Series, enhanced accuracy, digital or analog output, compensated/amplified, basic board mount pressure sensor.

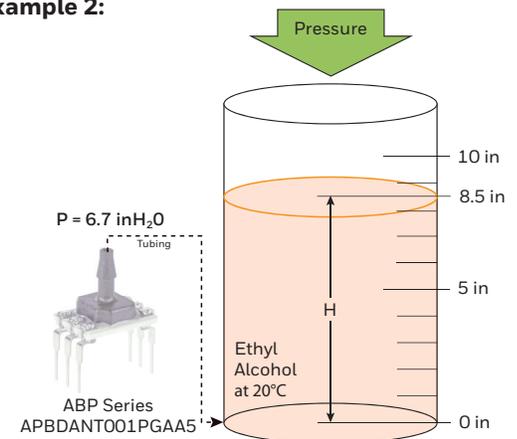
**Figure 1. Two Examples of Finding Liquid Level Height Using an Unpressurized Container**

Example 1: Water at 4°C	Example 2: Ethyl alcohol at 20°C
H = 8.5 inH <sub>2</sub> O/1.00	H = 6.7 inH <sub>2</sub> O/0.789
H = 8.5 in	H = 8.5 in

**Example 1:**



**Example 2:**



### 3.2 Using a pressurized container

Instead of using a single ported sensor, as was used in measuring the liquid level height in an unpressurized container, the pressure sensor used here needs to be a dual ported, liquid media compatible (wet/wet) device. Again, the pressure sensor shown in this example is Honeywell's ABP Series; however, a liquid media capable version is used (see Figure 2).

The sensor is mounted at the bottom of the container. This positioning gives a liquid-coupled measurement. Although a small air bubble may be present due to trapped air between the container and sensor, this method, for the most part, directly measures the pressure which indicates the height of the liquid.

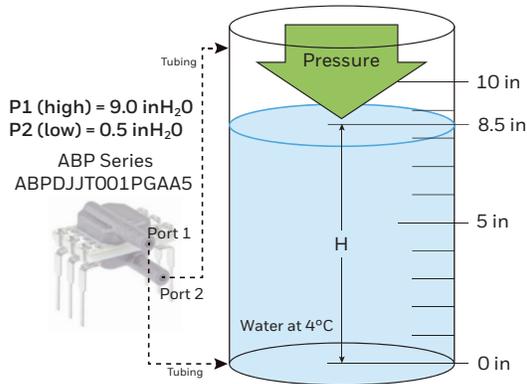
**Example: What is the liquid level height of a container where  $P_1 = 9.0 \text{ inH}_2\text{O}$ ,  $P_2 = 0.5 \text{ inH}_2\text{O}$ , and the liquid is water at  $4^\circ\text{C}$ ?**

Using the difference between  $P_1$  and  $P_2$  as  $P$ , the equation in Section 2.0 becomes:  $H = (P_1 - P_2)/SG$ :

$$H = (9.0 \text{ inH}_2\text{O} - 0.5 \text{ inH}_2\text{O})/1.00$$

$$H = 8.5 \text{ in}$$

**Figure 2. Pressurized Container**



Due to the relative unavailability of dual ported sensors tolerant of liquid media on both ports, two single ported gage or absolute pressure sensors have traditionally been used in this situation. This method not only carries the cost penalty of having to buy two sensors instead of one but may also double the measurement error.

### 4.0 SOLVING FOR SENSOR PRESSURE RANGE WHEN THE CONTAINER HEIGHT IS KNOWN

**Example: What is the required pressure range of a sensor if the maximum height of the container is 25 inches, and the liquid is water at  $4^\circ\text{C}$ ?**

Solving for  $P$ , the equation in Section 2.0 becomes:  $P = H \times SG$ :

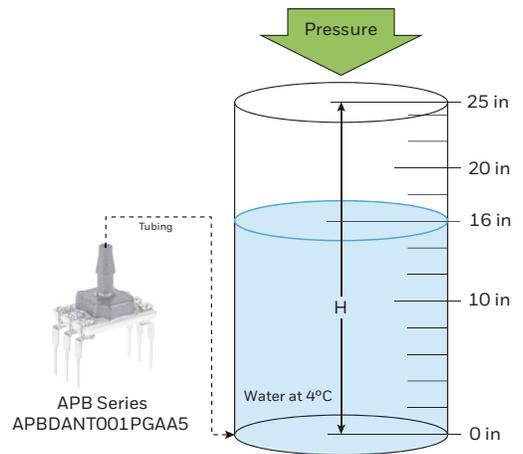
$$P = 25 \text{ in} \times 1.00$$

$$P = 25 \text{ inH}_2\text{O}$$

A 25 inH<sub>2</sub>O full scale pressure sensor is used (1 psi = 27.7 inH<sub>2</sub>O at 4°C), such as the ABP Series liquid media capable sensor ABPANT001PGAA5, as shown in Figure 3.

This sensor provides an analog output proportional to the applied pressure in the container, from 0.5 Vdc (no pressure applied) and 4.5 Vdc (1 psi applied). In this example, the output is 2.8 Vdc when the water level is at 16 in.

**Figure 3. Known Container Height**

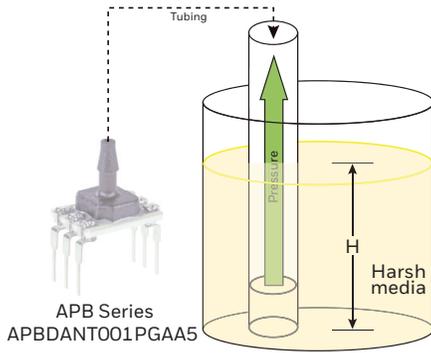


### 5.0 REMOTE OR TOP MOUNTING

This method, as shown in Figure 4, allows the sensor to be remotely mounted using tubing to make the connection between the bottom of the container and the sensor. A single piece of tubing, or a piece of tubing connected to

a tube, is used to run from the bottom of the container to the sensor. The advantage of this method is that the media has an air column between it and the pressure sensor, helping to isolate the sensor from harsh media. A possible concern is that if the tubing interface or sensor has even a small amount of mechanical leakage, it can have a significant impact on accuracy, which shows up as drift over time of the measurement.

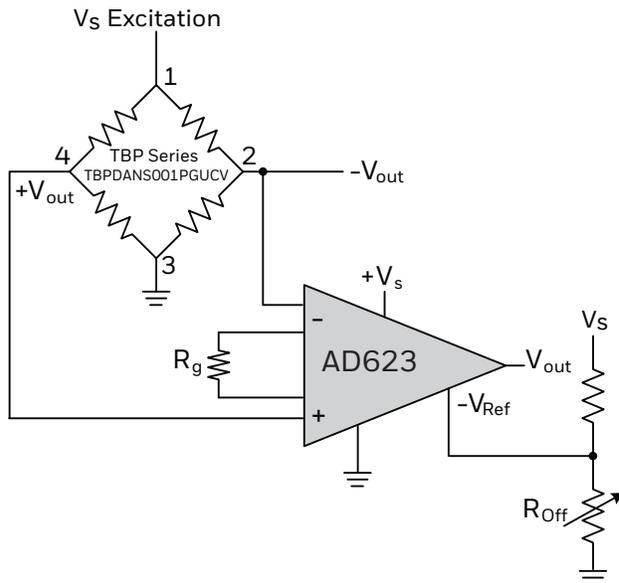
**Figure 4 . Remote or Top Mounting**



**6.0 USING A TBP SERIES UNAMPLIFIED SENSOR**

A TBP Series, compensated/unamplified basic board mount pressure sensor may also be used to measure liquid media because it, too, is available with a liquid media option. Figure 5 shows an example circuit that may be used to amplify the output.

**Figure 5. Example Output Amplification Circuit**



**Example: What is required value of  $R_g$  if  $P = 27.8 \text{ inH}_2\text{O}$  maximum, the sensor used is  $1 \text{ psi}$ , and the liquid is water at  $4^\circ\text{C}$ ?**

Equations used:

$$R_g = 100000 / (\text{Gain} - 1)$$

$$\text{Gain} = \text{Span} / \text{Signal}$$

To account for part-to-part sensor and amplifier offset variation, use a 100 kOhm potentiometer to calibrate  $V_{out}$ :

$$V_{out} = 0.5 \text{ Vdc (no pressure applied)}$$

Resulting amplifier output:

$$P \text{ at } 0 \text{ inH}_2\text{O} = 0.5 \text{ Vdc}$$

$$P \text{ at } 27.8 \text{ inH}_2\text{O} = 4.5 \text{ Vdc}$$

$$\text{Span} = 4.5 \text{ Vdc} - 0.5 \text{ Vdc}$$

$$\text{Span} = 4 \text{ Vdc}$$

TBPDANS001PGUCV full scale output = 1.5 mV/V, or 7.5 mV when using a 5 Vdc supply

$$\text{Gain} = 4 \text{ Vdc} / 0.0075 \text{ Vdc}$$

$$\text{Gain} = 533$$

$$R_g = 100000 \text{ Ohm} / (533 - 1)$$

$$R_g = 100000 \text{ Ohm} / 532$$

$$R_g = 188.0 \text{ Ohm}$$

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